

The Nexus between Market Tightness and Economic Growth – A Case of Kenya

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Abstract This study investigates the nexus between the market tightness and economic growth in Kenya using data from 2006 – 2015 from Nairobi Security Exchange and Kenya National Bureau of Statistics. A parsimonious moderating regression analysis (MRA) has been presented to examine whether real interest rate and risk premium individually moderates the relationship between stock market tightness (proxied by various versions of spread) and the economic growth (proxied by Real Gross Domestic Product (GDP)) in Kenya. The study shows that both real interest rates and risk premium moderates the relationship between stock market tightness and the economic growth in Kenya.

Keywords: market tightness, moderating regression analysis, real interest rate, risk premium, economic growth

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1. Introduction

The nexus between market liquidity and economic growth has been explored using different dimensions. One of such important market liquidity dimensions is tightness – concomitant with transaction cost – that is normally quantified as bid-ask spread on the market illustrating the lowest cost of pairing supply and demand. The dealer markets as well as in limit order markets are typified by spread costs [1] which must be large enough to cover costs and provide a reasonable profit to market maker profit for providing liquidity [2,3]. In other words, the tightness of the bid-ask spread is an indicator of the cost of a reversal of a market and it reflects the difference between what active buyers must pay and what active sellers receive [4,5]. Liquid markets are usually characterized by narrow spreads while, on the other hand, illiquid markets by a wide spread [6]. The extant literature epitomizes, *inter alia*, three main components of the bid-ask spread that emanates either from order processing, adverse information and inventory costs [5,7,37]. According to Stoll [40], if source of the bid-ask spread was only order processing costs, then a negative serial correlation would be induced in price changes. Given the random arrival of traders and if asymmetric information were the sole source of the spread, trade price changes and quote changes would be stochastic and unpredictable. Finally, if inventory costs were the source of the spread, trade prices and quotes would exhibit negative serial correlation.

There has been momentous interest in both theoretical and empirical modeling of the behavior of market

tightness because it's critical dimension of liquidity that used in evaluating market's operational efficiency [8]. For instance Chordia, *et al.* [9], examined a comprehensive sample of NYSE stocks that traded every day from 1993 through 2002 and pinpoints out that high liquidity facilitates arbitrage and leading to conclusion that liquidity plays an important role in efficiency creation. Further, market tightness elemental importance is demonstrated by the influence of trading costs on required returns which implies a direct linkage between liquidity and corporate costs of capital [10]. A sound comprehension of key market tightness measures and their interaction with other macroeconomic variables increases investor confidence in the stock markets thereby catapulting efficacy of both individual investor and corporate resource allocation.

The growing body of research on market tightness primarily zero in on the stock markets in developed countries which are highly liquid [36]. Conversely, this study shifts the attention from developed markets to an emerging market (that are characterized by poor liquidity) and specifically Kenya. Further, the initial empirical investigations were focused on the contemporaneous relationship between the broad-spectrum stock market liquidity measures and economic growth, and documented diverse results between these variables. For instance, Chogii, *et al.*, [11], Chipaumire and Ngirande [12], Shatha [39], Olweny and Kimani [13], Nazir, *et al.* [1], Mohtadi and Argawal [38], and Levine and Zervos [14] found a positive relationship between stock market liquidity measures and the economic growth. For example, Levine and Zervos [14] empirical analysis of forty-two countries sampled over the period 1976-1993, illustrate that market liquidity is indeed positively and significantly correlated with measures of economic growth. On the other hand,

Adigwe, *et al.* [15], Ifeoluwa and Motilewa [16], Wang and Ajit [17], Ngugi, *et al.* [18] and Alajekwu, *et al.* [35] researches indicate a negative relationship between stock market liquidity measures and the economic growth. Further, Wang and Ajit [17] empirical investigation on the impact of stock market development on economic growth in China using quarterly data from 1996 to 2011 and find that there is a negative relationship between the stock market liquidity and economic growth.

As a result, this study shifts from empirical analysis of conventional microstructure-based liquidity measures to in-depth analysis of market tightness proxied by three versions of spread; that is, log spread, log relative spread of log prices and adjusted log quote slope. More specifically, this study was directed towards determining the nexus between the market tightness and economic growth. The two null hypotheses that real interest rate does not moderate the market tightness and economic growth and risk premium does not moderate the market tightness and economic growth were also considered. Further, there is also momentous gain from utilizing annual data for market tightness in lieu of daily or monthly data; this is because neither daily nor monthly Real Gross Domestic Product (*RGDP*) data was not available.

2. Determination of Different Proxies of Market Tightness

The market tightness can be estimated using different proxies. This study identified nine proxies of market tightness that were computed using the stock price and volume data from Nairobi Security Exchange from 2006 – 2015. These proxies of market tightness were: absolute spread, dollar spread or quoted spread (*absspread*); log spread (*logspread*); relative spread or proportional spread calculated with mid price (*relspread*); relative spread of log prices (*logrelspread*); log relative spread of log prices (*loglogrel*); effective spread (*effspread*); relative effective spread calculated with mid price (*relspmid*); log quote slope (*logqs*) and adjusted log quote slope (*logqsadj*).

2.1. Absolute Spread, Dollar Spread or Quoted Spread

The absolute spread (or quoted spread) can be regarded as the differences between the lowest ask price and the highest bid price. The absolute spread (*absspread*) was computed as:

$$absspread_t = p_{Bt} - p_{At} \quad (1)$$

where *absspread_t* is the absolute spread at time *t*, *p_{At}* is the lowest ask price and *p_{Bt}* is the highest bid price. Many authors, including with Chordia, *et al.* [10], Ranaldo [19], Grammig, *et al.*, [20] Amihud, *et al.*, [21] and Chiyachantana, *et al.* [22] showcase the use of absolute (quoted) spread and as a proxy for market liquidity. For instance, Chordia, *et al.*, [23] used absolute spread and effective spread measure in their study of liquidity and trading activity for a comprehensive sample of NYSE-listed stocks over an 11-year period. Similarly

Grammig, *et al.*, [20] use data from the German stock market and estimates the probability of informed trading for stocks that are simultaneously traded in a non-anonymous floor trading system and in an anonymous electronic auction market.

2.2. Log Spread

The log spread is absolute spread that has logarithmized to improve its distributional properties. In other words, it can be seen as simply as the differences of the logarithms of the lowest ask price and the highest bid price.

$$logspread_t = \ln(p_{At} - p_{Bt}) \quad (2)$$

where *logspread_t* is the log spread at time *t*. The *logspread* is arithmetically easier to be used since its distribution properties are closer to a normal than the absolute spread. The *logspread* has been used by Hamao and Hasbrouck [24] and Zhang, *et al.*, [8]. For example, Zhang, *et al.*, [8] uses *logspread* as one of the liquidity proxy to evaluate determinants of bid and ask quotes and implications for the cost of trading for intraday transactions. They use intraday data for the three major stocks for three month period of January 3, 2006 to March 31, 2006 for securities listed on NYSE.

2.3. Relative Spread with the Last Trade

The relative spread with the last trade (*relspread*) takes into consideration market dynamism whereby upward moving market have ask price as (*p_{At}*) whereas downward moving market have bid price (*p_{Bt}*). It's important to note that *p_t* must be established first before the ask price (*p_{At}*) and bid price (*p_{Bt}*) are quoted. Further, both *relspread* and transaction price would be irrelevant for actual market situation if the last transaction have a taken considerably long time before *absspread* is measured. Aldricha and Lee [25] and Loderer and Roth [26] use relative spread in their studies. The *relspread* is computed as:

$$relspread_t = \frac{|p_t - p_m|}{p_t} \quad (3)$$

$$\text{note that } p_m = \frac{p_{At} + p_{Bt}}{2}$$

where *relspread_t* is the relative spread at time *t*, *p_t* is the last price of a security at time *t*. Aldricha and Lee [25] and Levin and Wright [27] used in relative spread in their researches.

2.4. Relative Spread of Log Prices

Relative spread of log prices (*logrelspread*) is computed akin to the logarithmic return of security. Like any other relative measures, it facilitates comparison between securities. The *logrelspread* is used to estimate liquidity by Hasbrouck and Seppi [28] after eliminating the time-of-day effects. The *logrelspread* is calculated as:

$$logrelsp_t = \ln(p_{At}) - \ln(p_{Bt}) = \ln\left(\frac{p_{At}}{p_{Bt}}\right) \quad (4)$$

2.4. Log Relative Spread of Log Prices

The *absspread*, *logspread*, *relspread* and *logrelspread* are characterized by strongly skewed distribution which complicates their computations. However, log relative spread of log prices (*loglogrels*) is much easier to be estimated through a normal distribution because it's much more symmetrically distributed. Dacorogna, *et al.* [29] illustrates an introduction to the use of *loglogrels* in high frequency finance data. The *loglogrels* is estimated as:

$$\text{loglogrels}_t = \ln(\text{logrelspread}_t) = \ln\left(\ln\left(\frac{p_{At}}{p_{Bt}}\right)\right). \quad (5)$$

2.5. Effective Spread

The effective spread (*effspread*) is a measure of transaction costs associated with each trade, established by the difference between the execution price at market and the mid-quote on the market at a given time. Since execution of security is a function of transaction cost, the effective spreads are frequently constricted than time-weighted *absspread*. To calculate effective trade, the following formular is used:

$$\text{effspread}_t = |p_t - p_m| \quad (6)$$

where *EffSp_t* is effective spread, *p_t* is last trade of the month in the year *t* and *p_m* is mid price. Chiyachantana, *et al.* [22] used effective spread and relative effective spread to examine the impact of regulation fair disclosure on liquidity, information asymmetry, and institutional and retail investors trading behavior. The researchers' analyzed sample consists of all quarterly earnings announcements for NYSE stocks during an 18-month period from November 1, 1999 to July 31, 2001.

2.6. Relative Spread OR Proportional Spread Calculated with Mid Price

The relative spread (*relspmidp*) is sometimes known as inside spread and can be computed regardless whether last trade takes place or not. Most market liquidity researches have used *relspmidp* because it facilitates comparison of spread between different variables and it's easier to compute. The *relspmidp* is computed as:

$$\text{relspmidp}_t = \frac{p_{At} - p_{Bt}}{p_m} = \frac{2(p_{At} - p_{Bt})}{p_{At} + p_{Bt}}$$

where *relspmidp_t* is the relative spread, *p_m* is the mid price. Aldricha and Lee [25] and Levin and Wright [27] used in relative spread in their researches.

2.7. Log Quote Slope

Tightness can be determined using log quote slope (*logqs*) which is simply a logarithmized relative spread in the numerator of quote slope [28,30]. A decrease in the *logqs* means that the slope of the best quotes is better and the market is more liquid [30]. Given that in the market the ask price (*p_{At}*) is always higher than the bid price

(*p_{Bt}*), the *logqs* are always positive. However as the difference between *p_{At}* and *p_{Bt}* tends to become narrower, the market also becomes more liquid. The same observation of the market becoming more liquid is made manifest with larger *q_{At}* and *q_{Bt}* respectively. The *logqs* is computed as follows:

$$\text{logqs}_t = \frac{\ln\left(\frac{p_{At}}{p_{Bt}}\right)}{\ln(q_{At}q_{Bt})} \quad (8)$$

where *logqs_t* is the log quote at a time *t*; *q_{At}* was the best ask volume and *q_{Bt}* was the best bid volume at a time *t*; *p_{At}* was the ask price and *p_{Bt}* was the bid price at a time *t*.

2.8. Adjusted Log Quote Slope

The adjusted log quote slope (*logqsadj*) was used but takes into account for the *logqs* for a market moving in one direction [31]. Since then, *logqsadj* has been used as a measure of liquidity by various researchers [30,32]. The log quote slope is estimated as:

$$\begin{aligned} \text{logqsadj}_t &= \frac{\ln\left(\frac{p_{At}}{p_{Bt}}\right)}{\ln(q_{At} \cdot q_{Bt})} + \frac{\left|\ln\left(\frac{q_{Bt}}{q_{At}}\right)\right|}{\ln(q_{At} \cdot q_{Bt})} \cdot \ln\left(\frac{p_{At}}{p_{Bt}}\right) \\ &= \frac{\ln\left(\frac{p_{At}}{p_{Bt}}\right)}{\ln(q_{At} \cdot q_{Bt})} \left(1 + \left|\ln\left(\frac{q_{Bt}}{q_{At}}\right)\right|\right) \end{aligned} \quad (9a)$$

$$\text{but } \text{logqs}_t = \frac{\ln\left(\frac{p_{At}}{p_{Bt}}\right)}{\ln(q_{At} \cdot q_{Bt})}$$

$$\therefore \text{logqsadj}_t = \text{logqs}_t \left(1 + \left|\ln\left(\frac{q_{Bt}}{q_{At}}\right)\right|\right).$$

However, the log quote slope for time *t-1* until time *t* is given by:

$$\text{logqsadj}_t = \sum_{t=1}^{N_t} \left[\text{logqs}_t \left(1 + \left|\ln\left(\frac{q_{Bt}}{q_{At}}\right)\right|\right) \right] = \theta, \quad (9b)$$

Where *logqsadj_t* is market tightness given by adjusted log quote slope at a time *t*; *logqs_t* is the log quote at a time *t*; *q_{At}* was the best ask volume and *q_{Bt}* was the best bid volume at a time *t*; *p_{At}* was the ask price and *p_{Bt}* was the bid price at a time *t*.

3. Data and Methodology

The sample period 2006 to 2015 from the Nairobi Stock Exchange (NSE) in Kenya was identified because the data are available and manageable. To avoid amassing data athwart stock markets with different market microstructures

and trading protocols, the sample only consists of firms listed at the Nairobi Stock Exchange (NSE). The NSE had had 43 and 58 listed companies 2006 and 2015 respectively. Consequently, those firms that had not been consistently listed during this period were excluded because they did not have time series long enough to be included in the study. The final study sample consisted of 33 listed companies which on average is about 65% of total listed companies. The stock price and volume data was collected and used to estimate nine different proxies of market tightness; that is, absolute spread, dollar spread or quoted spread (*absspread*); log spread (*logspread*); relative spread or proportional spread calculated with mid price (*relspread*); relative spread of log prices (*logrelspread*); log relative spread of log prices (*loglogrels*); effective spread (*effspread*); relative effective spread calculated with mid price (*relspmidp*); log quote slope (*logqs*) and adjusted log quote slope (*logqsadj*). The *RGDP* data – used as a proxy for economic growth – was obtained from Kenya National Bureau of Statistics (KNBS). Further, moderating variables data were real interest rate (*RealIR*) and risk premium (*RSKPRM*) were obtained from KNBS. Due to paucity of intraday, daily, monthly and quarterly data from KNBS for period under study, the research was coalesced to annual relationship between economic growth and market tightness.

A sagacious empirical execution to determine the how market liquidity impacts on economic growth is tricky to formulate because the ‘exact’ degree of liquidity is unobservable. However to examine the relationship between market tightness and economic growth, a Moderating Regression Analysis is applied. By using one predictor variable (interest rate and then risk premium), three separate regression equations are analyzed for egalitarianism of regression coefficients. As a result, an initial simple regression model is adopted as:

$$Y_t = \beta_0 + \beta_1 \varpi_{it} + \varepsilon_{it}, \varepsilon_{it} \sim (0, \sigma^2), 1 \leq i \leq n \quad (10)$$

where $Y_t = \text{Real GDP}$ at time t , ϖ_i is the i^{th} proxy for market tightness at time t from a sample size n , ε_{it} is the random error term and β_0 and β_i are regression coefficients to be estimated. For robust inference, it is

assumed that ε_{it} has a mean of 0 and a variance of σ^2 and is uncorrelated with ϖ_i . However, when moderating variable M_{it} enters the model, the following multiple regression equation (11) with additive predictor effect is borne:

$$Y_t = \beta_0 + \beta_1 \varpi_{it} + \beta_2 M_{it} + \varepsilon_{it}, \varepsilon_{it} \sim (0, \sigma^2), 1 \leq i \leq n \quad (11)$$

where M_{it} is the i^{th} moderating variable and β_1 on the other hand is the coefficient relating market tightness ϖ_i to economic growth Y_t (*Real GDP*). Similarly, β_2 is the coefficient relating the moderator variable M_{it} to Y_t . Finally, a multiple regression including interaction of predictors ($\varpi_{it} M_{it}$) was taken as:

$$Y_t = \beta_0 + \beta_1 \varpi_{it} + \beta_2 M_{it} + \beta_3 \varpi_{it} M_{it} + \varepsilon_{it}. \quad (12)$$

The moderation effects is estimated by the product term $\varpi_{it} M_{it}$ and their associated coefficient of interaction; that is, β_3 . If β_3 is statistically different from zero, then it is concluded that M_{it} moderates the relationship between ϖ_i and Y_t . Better still, the squared multiple correlation given by the interaction can be determined whether it is significantly greater than zero. Further, all ϖ_i (market tightness or predictor variables) and their interaction term ($\varpi_{it} M_{it}$) are centered prior to model estimation not only to improve interpretation of regression coefficients but also to reduce the foreseeable multicollinearity incurred with interaction terms.

4. Empirical Results

4.1. Descriptive Statistics

The descriptive statistics for nine measures of market tightness and *RGDP* are illustrated in Table 1; that is, mean, median, maximum, minimum, standard deviation, skewness and kurtosis.

Table 1. Summary of Descriptive Statistics

Variable	Mean	Minimum	Maximum	Standard Deviation	Kurtosis	Skewness
<i>RGDP</i>	5.2540000	0.2300000	8.4000000	2.2269170	0.1068	0.0786
<i>absspread</i>	2.1850000	0.2700000	15.170000	4.5751360	0.0004	0.0001
<i>logspread</i>	0.3166210	0.0324039	1.1810580	0.3501185	0.0248	0.0078
<i>relspread</i>	0.1664676	0.0128803	1.0111290	0.3064332	0.0010	0.0003
<i>logrelspread</i>	0.0768189	0.1467568	0.0055939	0.4835897	0.0009	0.0002
<i>loglogrels</i>	1.2104540	0.0055939	2.1415550	0.8352711	0.1473	0.4596
<i>effspread</i>	0.1630000	0.0000000	1.5600000	0.4908960	0.0001	0.0004
<i>relspmidp</i>	0.0043955	0.0001459	0.026763	0.0087130	0.0015	0.0088
<i>logqs</i>	0.0768189	0.0055939	0.4835897	0.1467568	0.0009	0.0002
<i>logqsadj</i>	0.3027173	0.5267352	0.0084816	1.635947	0.0133	0.0028

The mean value for *RGDP* is 5.25% with a positive skewness. The *absspread* has the highest mean of 2.185% than other measures of market tightness. On the other hand, *relspmidp* had the lowest mean of 0.004. Similarly, a critical analysis on standard deviation reveals that *absspread* and *relspmidp* have the highest and lowest variability as compared to other measures of market tightness demonstrating that the mean of these two variables must have pulled upwards and downwards respectively by extreme values. This statement is empirically supported from Table 1 whereby the maximum value of *absspread* of 15.17 is 56 times relative to low value of minima 0.27. Similarly, the maximum value of *relspmidp* of 0.026763 is 183 times the minima value of 0.0001459. All the liquidity measures have kurtosis less than three indicating that the distributions are not fat tailed in respect to normal distributions.

4.2. Normality Test

The Jarque–Bera tests (1980, 1987) was used to determine whether study variables were normally distributed. The results of the normality tests were summarized in the following Table 2.

The null hypothesis that sample data is not significantly different than a normal population was determined using Jarque–Bera test and the results summarized in the Table 2 above. From the Table 2, the null hypothesis of normality is accepted for Jarque–Bera test for all the market tightness variables under study because their calculated test statistic exceeded a critical value from the Chi-square distribution. That is, the test static values were between 0.2001 (for *loglogrels*) and

0.0001 (for *absspread*) were less than Chi-square distribution critical value of 5.99 with two degrees of freedom. This means that the data is normally distributed for all the study variables.

4.3. Correlation Matrix for Study Variables

Correlation is a measure that indicates direction and quantifies the strength of linear relationship between two quantitative variables [33]. The correlation among different measures of liquidity has been analyzed in the past studies but a comprehensive overview in literature is lacking to date [31]. This research used correlation analysis to determine the relationship among different market tightness proxies so as to reduce number as presented in Table 3.

The *absspread* has an average correlation of 0.8355 to *logspread* and since *logspread* is comparable across different market tightness measures. Therefore, *absspread* is dropped. Similarly, *relspread* has an average correlation of 0.9997 to *logrelspread* and since *logrelspread* is comparable across different market tightness measures. Therefore, *relspread* is dropped. Further, *logqs* has an average correlation of 0.9997 to *logqsadj* and since *logqsadj* is comparable across different market tightness measures. Therefore, *logqs* is dropped. The *relspmidp* and *effspread* are highly correlated with *logspread* (that is, 0.7562 and 0.8627 respectively) and therefore are dropped. The *logqsadj* is also highly correlated with *logrelspread* (that is, 0.8870) and therefore *logrelspread* is dropped. As a result, this study proceeded with *logqsadj*, *loglogrels* and *logspread* as measures of market tightness.

Table 2. Summary of Normality Tests

Variable	<i>RGDP</i>	<i>absspread</i>	<i>logspread</i>	<i>relspread</i>	<i>logrelspread</i>
Jarque-Bera test	0.0680	0.0001	0.0099	0.0004	0.0003
Variable	<i>loglogrels</i>	<i>effspread</i>	<i>relspmidp</i>	<i>logqs</i>	<i>logqsadj</i>
Jarque-Bera test	0.2001	0.0001	0.0026	0.0027	0.05929

Table 3. Correlation Matrix for Study Variables

Variable	<i>RGDP</i>	<i>absspread</i>	<i>logspread</i>	<i>relspread</i>	<i>logrelspread</i>
<i>RGDP</i>	1.0000				
<i>absspread</i>	0.1824	1.0000			
<i>logspread</i>	0.1931	0.8355	1.0000		
<i>relspread</i>	0.2969	0.1549	0.0394	1.0000	
<i>logrelspread</i>	0.2957	0.1360	0.0204	0.9997	1.0000
<i>loglogrels</i>	-0.1224	-0.0946	-0.4169	-0.4349	-0.430
<i>effspread</i>	0.1707	0.9980	0.8627	0.1162	0.0970
<i>relspmidp</i>	0.2689	0.9205	0.7562	0.5261	0.5095
<i>logqs</i>	0.2957	0.1360	0.0204	0.9997	1.0000
<i>logqsadj</i>	-0.0576	-0.0315	-0.2277	0.8843	0.8870
	<i>loglogrels</i>	<i>effspread</i>	<i>relspmidp</i>	<i>logqs</i>	<i>logqsadj</i>
<i>loglogrels</i>	1.0000				
<i>effspread</i>	-0.1094	1.0000			
<i>relspmidp</i>	-0.2811	0.9057	1.0000		
<i>logqs</i>	-0.4306	0.0970	0.5095	1.0000	
<i>logqsadj</i>	-0.2856	-0.0751	0.3149	0.8870	1.0000

Table 4. Summary of Stationarity Results for Market Tightness

Variable		ADF t-Statistic	Probability	Test Critical Values		
				1%	5%	10%
<i>RGDP</i>	Level	-8.473050	0.0011	-4.803492	-3.403313	-2.841819
<i>logqsadj</i>	Level	-6.860766	0.0010	-4.582648	-3.320969	-2.801384
<i>loglogrels</i>	Level	-4.163198	0.0042	-4.420595	-3.259808	2.7711298
<i>logspread</i>	Level	-5.404446	0.0010	-4.420595	-3.25980-	-2.771129

4.4. Test for Stationarity

The ADF test was used to determine the stationarity between the dependent variable and the explanatory (market tightness) variables. Specifically, the ADF tests were estimated between *RGDP* and *logqsadj*; *RGDP* and *loglogrels*; *RGDP* and *logspread*; In essence, the null hypothesis that the series had a unit root was examined against the alternative hypothesis that series was stationary. Table 4 gives a summary of the results between *RGDP* and proxies of market tightness.

The tests for unit root level in 1, 5, and 10 percent critical τ values for *RGDP* were -4.803492 , -3.403313 and -2.841819 . Since the t value of -8.473050 is more negative than any of these Mackinnon critical values, the conclusion is that the *RGDP* time series is stationary. This is consistent with p -value of 0.0011 at 5%. Similarly, the same conclusion was reached when testing for stationarity at first and second difference. For instance at the first difference, the ADF t statistic for *RGDP* was -8.473050 which was negative than any of these Mackinnon critical values of -4.803492 , -3.403313 and -2.841819 at 1%, 5% and 10% respectively. On the other hand, the same results is also reflected for *logqsadj*, *loglogrels* and *logspread*; that is, these data are stationary at Level with p -values of 0.0010, 0.0042 and 0.0010 respectively.

4.5. Granger Causality Test

The most popular way to determine the causal relationships between two variables is through Granger causality test that was pioneered by Granger [7]. Ever since its inception, the Granger causality test has been used widely in researches involving stock markets. The test is simple to carry out and involves use of bivariate vector autoregressions (VAR) between dependent and explanatory variable. In this study, the dependent variable was economic growth and explanatory variable was market tightness. The results of Granger causality are presented in Table 5.

The results in Table 5 suggests that there was no causality between *LOGQSADJ* and *RGDP* and vice versa since the estimated F for both tests was not significant at the 5% level whereby the Critical F value was 0.48010

and 0.70843 (for 1 lag and 9 degrees of freedom) respectively. This result leads to acceptance of null hypothesis that *logqsadj* does not Granger cause *RGDP* and *RGDP* does not Granger cause *logqsadj*. Nevertheless, research has indicated that the significance and direction of causality may depend critically on the number of lagged terms included. However, regardless the numbers of that are included; still the estimated F for both tests was not significant at the 5% level. Similarly, the results in Table 5 indicate non existence of causal relationship between *RGDP* and *loglogrels* and vice versa; and *logspread* and *RGDP* and vice versa. This is because the p -value for all tests was not significant at the 5% level; that is, p -value for all granger causality analysis is greater than 0.05.

4.6. Cointegration Test

Cointegration is defined as a formulation of the phenomenon that nonstationary processes can have linear combinations that are stationary [34]. Johansen [34] further states that the components of $x_t = (x_{1t}, x_{2t}, \dots, x_{nt})$ are said to be cointegrated of order d , b denoted by $x_t \sim CI(d, b)$, if all components of x_t are integrated of order d and there exists a vector of $\beta = (\beta_1, \beta_2, \dots, \beta_n) \neq 0$ such that $\beta x_t \sim I(d-b)$, where $b > 0$. For this study, the Unit Root tests for all the study variables affirmed that they were each stationary. As a result, a cointegration test was performed to determine whether the time series of these variables display a stationary process in a linear combination. Table 6 provides the Johansen-Juselius Cointegration test results. The lags interval (in first differences) was set 1 to 1 for all the study variables using the Schwarz Information Criterion SIC so as to render the error term serially uncorrelated in conducting the test. Similarly, trace and maximal Eigenvalue statistics were adjusted by a factor $(T-np)/T$ in order to correct bias towards finding evidence for cointegration in datasets. The effective number of observations in the study variables were given by T , n was the number of variables, and p was the lag order.

Table 5. Granger Causality Test for Market Tightness

S/No.	Null Hypothesis:	F-Statistic	Probability
1.	<i>logqsadj</i> does not Granger Cause <i>RGDP</i>	0.48010	0.5143
	<i>RGDP</i> does not Granger Cause <i>logqsadj</i>	0.70843	0.4322
2.	<i>Loglogrels</i> does not Granger Cause <i>RGDP</i>	0.83089	0.3972
	<i>RGDP</i> does not Granger Cause <i>loglogrels</i>	0.33162	0.5856
3.	<i>Logspread</i> does not Granger Cause <i>RGDP</i>	0.70343	0.4338
	<i>RGDP</i> does not Granger Cause <i>logspread</i>	0.46921	0.5189

Table 6. Summary of Results of Cointegration Tests

Hypothesize No. of CE(s)	Unrestricted Cointegration Rank Test (Trace)				Unrestricted Cointegration Rank Test (Maximum Eigenvalue)		
	Eigenvalue	Trace Statistic	0.05 Critical Value	Prob.**	Max-Eigen Statistic	0.05 Critical Value	Prob.**
<i>logqsadj</i>	0.903976	18.74522	3.841466	0.0000	18.74522	3.841466	0.0000
<i>loglogrels</i>	0.961112	34.28884	15.49471	0.0000	25.97663	14.26460	0.0005
<i>logspread</i>	0.985375	36.96404	15.49471	0.0000	33.80016	14.26460	0.0000

Note: All cointegration tests is between *RGDP* and market tightness variables; that is, cointegration test between *logqsadj* and *RGDP*; cointegration test between *loglogrels* and *RGDP*; cointegration test between *logspread*. The lags interval (in first differences) is 1 to 1.

The results in Table 6 indicate that *p*-values of all the cointegration tests (that is Trace and Maximum Eigenvalue cointegration tests) were significant at 0.05 level thus leading to rejection of null hypothesis of no co-integration for these estimated models. For instance, the *p*-value for Unrestricted Cointegration Rank Test (Trace) for *logqsadj* and *RGDP*; *loglogrels* and *RGDP*; *logspread* and *RGDP* were all 0.0000 respectively. Similarly, the *p*-value for Unrestricted Cointegration Rank Test (Maximum Eigenvalue) was 0.0000, 0.0000 and 0.0000 respectively.

4.7. Moderated Regression Analysis (MRA)

4.7.1. MRA between Market Liquidity and Real Interest Rates (*RealIR*)

MRA was tested to investigate the null hypothesis that real interest rates do not moderate the relationship between stock market tightness and the economic growth in Kenya. After centering real interest rates, stock market tightness and the economic growth and computing interaction term, the two predictors and the interaction were entered into a simultaneous regression model. The results obtained are summarized in Table 7.

The R column in Table 7 indicates the association between the main effects of the predictors (market liquidity and real interest rate (*RealIR*)) and the *RGDP* for all the three models (A, B and C) for 1 and 2. The R^2 for Model A1 is 84.1% and for the Model A2 is 99.7%. Thus, 84.1% in the variation of the *RGDP* is explained by the Model A1 and 99.7% in the variation of the *RGDP* is explained by the Model A2. Similarly, Adjusted R^2 , a more conservative estimate of model fit, is 79.6% and 99.6% for Model A1 and Model A2 respectively. Further, the R^2 for Model B1 and Model C1 is 88.6% and 76.9% and for the Model B2 and Model C2 is 99.7% and 79.1% respectively. Thus, 88.6% in the variation of the *RGDP* is explained by the Model B1 and 99.7% in the variation of the *RGDP* is explained by the Model B2. Similarly, 76.9%

in the variation of the *RGDP* is explained by the Model C1 and 79.1% in the variation of the *RGDP* is explained by the Model C2. Model A2, Model B2 and Model C2 standard error is 0.0095, 0.0097 and 0.2692 respectively. These standard errors for second regression models is lower than for first regression models which are 0.0663, 0.0582 and 1.1568 for Model A1, Model B1 and Model C1 respectively. Since the larger the standard error of the estimate the more error in a regression model, then the results depicts for second regression models as being better than first regression models.

The change statistics for first regression models is not significant for interpretation of the results because it is comparing Model A1, Model B1 and Model C1 with an empty model (i.e., no predictors) resulting in a value equal to the R^2 for all the three models. However for second regression models, there is addition of the interaction term useful in determining the improvement in the model fit. From Table 7, Model A2 with the interaction between *logqsadj* and interest rates ($Z_1 = \text{logqsadj} * \text{RealIR}$) accounted for significantly more variance than just *logqsadj* and *RealIR* by themselves (R^2 change = 0.024, *p*-value = 0.000). Similarly, Model B2 with the interaction between *loglogrels* and interest rates ($Z_2 = \text{loglogrels} * \text{RealIR}$) accounted for significantly more variance than just *loglogrels* and *RealIR* by themselves (R^2 change = 0.112, *p*-value = 0.000). Finally, Model C2 with the interaction between *logabsprd* and interest rates ($Z_3 = \text{logabsprd} * \text{RealIR}$) accounted for significantly more variance than just *loglogrels* and interest rates by themselves (R^2 change = 0.313, *p*-value = 0.024). Since *logqsadj*, *loglogrels* and *logabsprd* are all proxies for market tightness; the results show that there is potentially significant moderation between market tightness and economic growth by real interest rates. In other words, we accept the alternative hypothesis that real interest rates moderate the relationship between stock market tightness and the economic growth in Kenya.

Table 7. Summary for MRA between Market Liquidity and RealIR

Model	Predictors	R	R Square	Adjusted R Square	Std. Error of the Estimate	R Square Change	Sig. F Change
Model A1	<i>RGDP</i> , <i>logqsadj</i>	0.917	0.841	0.796	0.0663	0.841	0.002
Model A2	<i>RGDP</i> , <i>logqsadj</i> , Z_1	0.999	0.997	0.996	0.0095	0.024	0.000
Model B1	<i>RGDP</i> , <i>loglogrels</i>	0.941	0.886	0.853	0.0582	0.886	0.001
Model B2	<i>RGDP</i> , <i>loglogrels</i> , Z_2	0.999	0.997	0.996	0.0097	0.112	0.000
Model C1	<i>RGDP</i> , <i>logabsprd</i>	0.877	0.769	0.653	1.1568	0.285	0.035
Model C2	<i>RGDP</i> , <i>logabsprd</i> , Z_3	0.890	0.791	0.687	0.2692	0.313	0.024

The Table 7 presents a model summary interaction between market liquidity and real interest rate (*RealIR*) within a framework of three models; that is, Model A, Model B and Model C. Model A indicates the relationship between *RGDP* and *logqsadj* in Model A1 and relationship between *RGDP*, *logqsadj* and Z_1 in Model A2. Similarly, Model B indicates the relationship between *RGDP* and *loglogrels* in Model B1 and relationship between *RGDP*, *loglogrels* and Z_2 in Model B2. Further, Model C indicates the relationship between *RGDP* and *logabsprd* in Model C1 and relationship between *RGDP*, *logabsprd* and Z_3 in Model C2. Finally, *RGDP* is dependent Variable; $Z_1 = \text{logqsadj} * \text{RealIR}$; $Z_2 = \text{loglogrels} * \text{RealIR}$; $Z_3 = \text{logabsprd} * \text{RealIR}$.

Table 8. Summary for MRA between Market Liquidity and *RISKPRM*

Model	Predictors	R	R Square	Adjusted R Square	Std. Error of the Estimate	R Square Change	Sig. F Change
Model D1	<i>RGDP, logqsadj</i>	0.917	0.841	0.796	0.0663	0.841	0.002
Model D2	<i>RGDP, logqsadj, Z₄</i>	0.999	0.999	0.998	0.0061	0.158	0.000
Model E1	<i>RGDP, loglogrels</i>	0.941	0.886	0.853	0.0582	0.886	0.001
Model E2	<i>RGDP, loglogrels, Z₅</i>	0.998	0.997	0.995	0.0099	0.459	0.000
Model F1	<i>RGDP, logabsprd</i>	0.877	0.769	0.653	1.1568	0.285	0.035
Model F2	<i>RGDP, logabsprd, Z₆</i>	0.914	0.835	0.752	0.2395	0.389	0.002

The Table 8 presents a model summary interaction between market liquidity and real interest rate (*RealIR*) within a framework of three models; that is, Model D, Model E and Model F. Model A indicates the relationship between *RGDP* and *logqsadj* in Model D1 and relationship between *RGDP, logqsadj* and Z_4 in Model D2. Similarly, Model E indicates the relationship between *RGDP* and *loglogrels* in Model E1 and relationship between *RGDP, loglogrels* and Z_5 in Model E2. Further, Model F indicates the relationship between *RGDP* and *LOGABSPRD* in Model F1 and relationship between *RGDP, logabsprd* and Z_6 in Model F2. Finally, *RGDP* is dependent Variable; $Z_4 = \text{logqsadj} * \text{RSKPRM}$; $Z_5 = \text{loglogrels} * \text{RSKPRM}$; $Z_6 = \text{logabsprd} * \text{RSKPRM}$.

4.7.2. MRA between Market Liquidity and Risk Premium (*RSKPRM*)

MRA was tested to investigate the null hypothesis that risk premium (*RSKPRM*) moderate the relationship between stock market tightness and the economic growth in Kenya. After centering risk premium, stock market tightness and the economic growth and computing interaction term, the two predictors and the interaction were entered into a simultaneous regression model. The results obtained are summarized in Table 7.

The results for first regression models for Model D1, Model E1 and Model F1 in Table 8 are similar to the results for Model A1, Model B1 and Model C1 in Table 7 respectively. However, the results for second regression equations are different because the moderating variables are different; that is, *RealIR* for Table 7 and *RSKPRM* for Table 8 respectively. For instance, the R for second regression Model D2, Model E2 and Model F2 is 99.9%, 99.8% and 91.4% respectively. On the other hand, the R^2 for the second regression Model D2, Model E2 and Model F2 is 99.9%, 99.7% and 83.5%. Thus, 99.9%, 99.7% and 83.5% in the variation of the *RGDP* is explained by the Model D2, Model E2 and Model F2 respectively. Further, adjusted R^2 is 99.8%, 99.5% and 75.2% for Model E2, Model F2 and Model G2 respectively. The second regression Model D2, Model E2 and Model F2 standard error is 0.0061, 0.0099 and 0.2395 respectively. These values are lower than standard error 0.0663, 0.05821 and 1.1568 for corresponding first regression Model D1, Model E1 and Model F1. In essence, since the larger the standard error of the estimate the more error in a regression model, then the results depicts second regression models as being better than first regression models.

The change statistics for first regression Model D1, Model E1 and Model F1 is irrelevant for interpretation of the results because this entire three models it has no predictors. Thus, the R^2 change for all the three models for instance, has a value equal to the R^2 . However for second regression Model D2, Model E2 and Model F2, there is addition of the interaction term (that is, Z_4 , Z_5 and Z_6) useful in determining the improvement in the model fit. Thus, Model D2 with the interaction between *logqsadj* and *RISKPRM* (Z_4) accounted for significantly more variance than just *logqsadj* and *RISKPRM* by themselves i.e. R^2 change = 0.158, p -value = 0.000. This result is consistent with Model E2 and Model F2 change of 0.459 and 0.389 and p -value of 0.000 and 0.002 respectively. These results fail to reject the hypothesis that risk

premium moderates the relationship between stock market tightness and the economic growth in Kenya. Essentially, we accept the alternative hypothesis that real interest rates moderate the relationship between stock market tightness and the economic growth in Kenya.

5. Discussions

Most of the research on the relationship between stock market liquidity and economic growth does not use market tightness proxies. Majority of these studies use market depth proxies like capitalization and turn over ratios (for example, Nazir, et al. [1]; Chipaumire and Ngirande [12]; Shatha [39]; Levin and Zervos [14] among others). Nevertheless, the results for Model A1, Model B1 and Model C1 (in Table 7) and Model D1, Model E1 and Model F1 (in Table 8) are consistent with similar studies but with different proxies of market liquidity (Nazir, et al. [1]; Chipaumire and Ngirande [12] among others). In all this studies, it is established that market liquidity is indeed positively related with economic growth. However, their researches use measures of capitalization and turn over ratios as measures of stock market liquidity. On the other hand, it was difficult to relate the results of Model A2, Model B2 and Model C2 (in Table 7) and Model D2, Model E2 and Model F2 (in Table 8) with other research findings because past researches on market tightness focuses on different aspects. For instance, Chiyachantana, et al., 2004 and Ranaldo, 2006 focuses on the relationship between spreads (market tightness) around information symmetry and public information arrivals respectively. Table 7 presents results testing the null hypothesis that real interest rates does not significantly moderate the relationship between market tightness and economic growth where Table 8 presents results testing the null hypothesis that risk premium does not significantly moderate the relationship between market tightness and economic growth.

6. Conclusions

This study examined whether stock market tightness moderates the relationship between stock market tightness and the economic growth in Kenya. Using annual data from 2006 – 2015 from Nairobi Security Exchange and Kenya National Bureau of Statistics, MRA reveals that is

potentially significant moderation between market tightness and economic growth by real interest rates. In other words, real interest rate moderates the relationship between stock market tightness and the economic growth in Kenya. Similarly, there is ample evidence that risk premium moderates the relationship between stock market tightness and the economic growth in Kenya.

The findings of this study are significant to policy makers to formulate policies that reduce spread so as to increase the propensity to trade on stocks on the trading floors, facilitate more efficient allocation of investment funds and fuel long-term economic growth. Needless to say, these policies will go a long way to avail more liquidity to different market participants at the stocks markets. One direction for future studies is to investigate the relationship between market tightness and economic growth by use of moderated mediation model (MMM) with a multiple mediators. The covariates may also be included in MMM to statistically account for shared associations between variables in the economic system of a given country caused by other macroeconomic variables. The covariates might be useful especially for cross countries studies to control for country-specific confounding or epiphenomenal associations between mediators and the economic growth.

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Statement of Competing Interests

The authors have no competing interests.

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